

# Claims

1. A method for cryptographically converting a digital input block into a digital output block; said conversion comprising the step of merging a selected part M1 of said digital input block with a first key K1 and producing a data block B1 which non-linearly depends on said selected part M1 and said first key K1, and where a selected part of said digital output block is derived from said data block B1, characterised in that said merging step is performed by executing a non-linear function  $g$  for non-linearly merging said selected part M1 and said first key K1 in one, sequentially inseparable step.
2. A method as claimed in claim 1, wherein said method comprises the steps of:
  - splitting said digital input block into said selected part M1 and a second part M2 before executing said merging step;
  - executing a non-linear function  $g^{-1}$  to merge said second block M2 with a second key K2 in one, sequentially inseparable step, producing a data block B2 as output; said non-linear function  $g^{-1}$  being the inverse of said non-linear function  $g$ ; and
  - forming combined data from data in said data block B1 and in said data block B2; said digital output block being derived from said combined data.
3. A method as claimed in claim 1, wherein said merging step comprises the steps of:
  - splitting said selected part M1 in a first plurality  $n$  of sub-blocks  $m_0, \dots, m_{n-1}$  of substantially equal length;
  - splitting said first key K1 in said first plurality  $n$  of sub-keys  $k_0, \dots, k_{n-1}$ , substantially having equal length, the sub-key  $k_i$  corresponding to the sub-block  $m_i$ , for  $i = 0$  to  $n-1$ ; and
  - separately processing each of said sub-blocks  $m_i$  by executing for each of said sub-blocks  $m_i$  a same non-linear function  $h$  for non-linearly merging a sub-block  $b_i$  derived from said sub-block  $m_i$  with said corresponding sub-key  $k_i$  in one, sequentially inseparable

- step and producing said first plurality of output sub-blocks  $h(b_i, k_i)$ ; and
- combining sub-blocks  $t_i$  derived from said first plurality of said output sub-blocks  $h(b_i, k_i)$  to form said data block B1.

5 4. A method as claimed in claim 2 and 3, wherein said step of executing said non-linear function  $g^{-1}$  comprises the steps of:

- splitting said second part M2 in said first plurality  $n$  of sub-blocks  $m_n, \dots, m_{2n-1}$ , substantially having equal length;
- splitting said key K2 in said first plurality  $n$  of sub-keys  $k_n, \dots, k_{2n-1}$ , substantially

10 having equal length, the sub-key  $k_i$  corresponding to the sub-block  $m_i$ , for  $i = n$  to  $2n-1$ ;

- executing for each of said sub-blocks  $m_i$  a same non-linear function  $h^{-1}$  for non-linearly merging a sub-block  $b_i$  derived from said sub-block  $m_i$  with said corresponding sub-key  $k_i$  and producing said first plurality of an output sub-block  $h^{-1}(b_i, k_i)$ ; said function  $h^{-1}$

15 being the inverse of said function  $h$ ; and

- combining sub-blocks  $t_i$  derived from said first plurality of output sub-blocks  $h^{-1}(b_i, k_i)$  to form said data block B2.

5. A method as claimed in claim 3, wherein said sub-block  $b_i$  is derived

20 from said sub-block  $m_i$  by bit-wise adding a constant  $p_i$  to said sub-block  $m_i$ , said constant  $p_i$  substantially having equal length as said sub-block  $m_i$ .

6. A method as claimed in claim 3, characterised in that said function  $h(b_i, k_i)$  is defined by:

$$\begin{aligned}
 25 \quad h(b_i, k_i) &= (b_i \cdot k_i)^{-1}, & \text{if } b_i \neq 0, k_i \neq 0, \text{ and } b_i \neq k_i \\
 h(b_i, k_i) &= (k_i)^{-2}, & \text{if } b_i = 0 \\
 h(b_i, k_i) &= (q_i)^{-2}, & \text{if } k_i = 0 \\
 h(b_i, k_i) &= 0, & \text{if } b_i = k_i,
 \end{aligned}$$

where the multiplication and inverse operations are predetermined Galois Field multiplication and inverse operations.

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7. A method as claimed in claim 6, wherein deriving said sub-blocks  $t_i$  from said output sub-blocks  $h(b_i, k_i)$  comprises bit-wise adding a constant  $d_i$  to said output sub-block  $h(b_i, k_i)$ , said constant  $d_i$  substantially having equal length as said sub-block  $m_i$ .

8. A method as claimed in claim 7, wherein deriving said sub-blocks  $t_i$  from said output sub-blocks  $h(b_i, k_i)$  further comprises raising  $h(b_i, k_i) \oplus d_i$  to a power  $2^i$ , using said predetermined Galois Field multiplication.
9. A method as claimed in claim 6, wherein deriving said sub-blocks  $t_i$  from said output sub-blocks  $h(b_i, k_i)$  comprises raising said output sub-block  $h(b_i, k_i)$  to a power  $2^i$ , using said predetermined Galois Field (GF) multiplication.
10. A method as claimed in claim 4, wherein said combined data is formed by:
- swapping the sub-blocks  $t_i$  and  $t_{2n-1-i}$ , for  $i = 0$  to  $n-1$ ; and
  - concatenating the swapped sub-blocks.
11. A method as claimed in claim 6, wherein said sub-block  $m_i$  comprises eight data bits, and wherein said multiplying of two elements  $b$  and  $c$  of  $GF(2^8)$  comprises executing a series of multiplications and additions in  $GF(2^4)$ .
12. A method as claimed in claim 11, wherein said multiplying of said two elements  $b$  and  $c$  comprises:
- representing  $b$  as  $a_0 + a_1.D$  and  $c$  as  $a_2 + a_3.D$ , where  $a_0, a_1, a_2$  and  $a_3$  are elements of  $GF(2^4)$ , and where  $D$  is an element of  $GF(2^8)$  defined as a root of an irreducible polynomial  $k(x) = x^2 + x + \beta$  over  $GF(2^4)$ , where  $\beta$  is an element of  $GF(2^4)$ ; and
  - calculating  $(a_0a_2 + a_1a_3\beta) + (a_1a_2 + a_0a_3 + a_1a_3).D$ .
13. A method as claimed in claim 12, wherein  $\beta$  is a root of an irreducible polynomial  $h(x) = x^4 + x^3 + x^2 + x + 1$  over  $GF(2)$ .
14. A method as claimed in claim 6, wherein said sub-block  $m_i$  comprises eight data bits, and wherein calculating the inverse of an element  $b$  of  $GF(2^8)$  comprises performing a series of calculations in  $GF(2^4)$ .
15. A method as claimed in claim 14, wherein calculating the inverse of said element  $b$  comprises:
- representing  $b$  as  $a_0 + a_1.D$ , where  $a_0$  and  $a_1$  are elements of  $GF(2^4)$ , and where

- D is an element of  $GF(2^8)$  defined as a root of an irreducible polynomial  $k(x) = x^2 + x + \beta$  over  $GF(2^4)$ , where  $\beta$  is an element of  $GF(2^4)$ ; and
- calculating  $(a_0^2 + a_0a_1 + a_1^2\beta)^{-1}((a_0 + a_1) + a_1D)$ .

- 5 16. An apparatus for cryptographically converting a digital input block into a digital output block; said apparatus comprising:
- first input means for obtaining said digital input block;
  - second input means for obtaining a first key K1;
  - cryptographic processing means for converting the digital input block into the
- 10 digital output block; said conversion comprising merging a selected part M1 of said digital input block with said first key K1 and producing a data block B1 which non-linearly depends on said selected part M1 and said first key K1, and where a selected part of said digital output block is derived from said data block B1; and
- output means for outputting said digital output block,
- 15 characterised in that said cryptographic processing means is arranged to perform said merging by executing a non-linear function g for non-linearly merging said selected part M1 and said first key K1 in one, sequentially inseparable step.
17. An apparatus as claimed in claim 16, wherein said apparatus comprises
- third input means for obtaining a second key K2, and wherein said conversion comprises:
- splitting said digital input block into said selected part M1 and a second part M2 before performing said merging;
  - executing a non-linear function  $g^{-1}$  to merge said second block M2 with said second key K2 in one, sequentially inseparable step, producing a data block B2 as output;
- 20 said non-linear function  $g^{-1}$  being the inverse of said non-linear function g; and
- forming combined data from data in said data block B1 and in said data block B2; said digital output block being derived from said combined data.
18. An apparatus as claimed in claim 16, wherein said merging step comprises the steps of:
- splitting said selected part M1 in a first plurality n of sub-blocks  $m_0, \dots, m_{n-1}$  of substantially equal length;
  - splitting said first key K1 in said first plurality n of sub-keys  $k_0, \dots, k_{n-1}$ , substantially having equal length, the sub-key  $k_i$  corresponding to the sub-block  $m_i$ , for  $i = 0$  to  $n-1$ ;
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and

- separately processing each of said sub-blocks  $m_i$  by executing for each of said sub-blocks  $m_i$  a same non-linear function  $h$  for non-linearly merging a sub-block  $b_i$  derived from said sub-block  $m_i$  with said corresponding sub-key  $k_i$  in one, sequentially inseparable step and producing said first plurality of output sub-blocks  $h(b_i, k_i)$ ; and

- combining sub-blocks  $t_i$  derived from said first plurality of said output sub-blocks  $h(b_i, k_i)$  to form said data block B1.

19. An apparatus as claimed in claim 18, characterised in that said function

20  $h(b_i, k_i)$  is defined by:

$$\begin{aligned} h(b_i, k_i) &= (b_i, k_i)^{-1}, & \text{if } b_i \neq 0, k_i \neq 0, \text{ and } b_i \neq k_i \\ h(b_i, k_i) &= (k_i)^{-2}, & \text{if } b_i = 0 \\ h(b_i, k_i) &= (b_i)^{-2}, & \text{if } k_i = 0 \\ h(b_i, k_i) &= 0, & \text{if } b_i = k_i, \end{aligned}$$

15 where the multiplication and inverse operations are predetermined Galois Field multiplication and inverse operations.

20. An apparatus as claimed in claim 19, wherein said sub-block  $m_i$  comprises eight data bits, and wherein said multiplying of two elements  $b$  and  $c$  of  $GF(2^8)$  comprises:

- representing  $b$  as  $a_0 + a_1.D$  and  $c$  as  $a_2 + a_3.D$ , where  $a_0, a_1, a_2$  and  $a_3$  are elements of  $GF(2^4)$ , and where  $D$  is an element of  $GF(2^8)$  defined as a root of an irreducible polynomial  $k(x) = x^2 + x + \beta$  over  $GF(2^4)$ , where  $\beta$  is an element of  $GF(2^4)$ ; and

- calculating  $(a_0a_2 + a_1a_3\beta) + (a_1a_2 + a_0a_3 + a_1a_3).D$ ;

and wherein calculating the inverse of an element  $b$  of  $GF(2^8)$  comprises calculating  $(a_0^2 +$

25  $a_0a_1 + a_1^2\beta)^{-1}((a_0 + a_1) + a_1D)$ .